## Practice Worksheet – The 4 Centers of a Triangle

In #'s 1 – 4 state whether the indicated center of the triangle appears to be on a side of the triangle, in the interior of the triangle, or in the exterior of the triangle.

1) The centroid of:	a) an acute angle	b) a right angle	c) an obtuse angle
2) The circumcenter of:	a) an acute $\Delta$	b) a right $\Delta$	c) an obtuse $\Delta$
3) The incenter of:	a) an acute $\Delta$	b) a right $\Delta$	c) an obtuse $\Delta$
4) The orthocenter of:	a) an acute $\Delta$	b) a right $\Delta$	c) an obtuse $\Delta$

5) If 2 altitudes of a given ∆ fall outside the triangle, the triangle is
a) right
b) acute c) obtuse

6) If the point at which the perpendicular bisectors of the sides of a triangle are concurrent is outside the triangle, the triangle is a) acute b) right c) obtuse

7) Construct the centroid P of  $\triangle ABC$ .

8) Construct the circumcenter of  $\Delta$ LMN.

9) Construct the incenter of an obtuse triangle.

10) Construct the orthocenter of an acute triangle.

11) In  $\triangle ABC$ , medians  $\overline{AD}$ ,  $\overline{BE}$ , and  $\overline{CF}$  intersect at P. If  $\overline{AD} = 24$  in., find the length of  $\overline{AP}$ .

12) In  $\triangle ABC$ , medians  $\overline{AD}$ ,  $\overline{BE}$ , and  $\overline{CF}$  are concurrent at P. If  $\overline{AP} = 8$ , find the length of  $\overline{AD}$  and  $\overline{PD}$ .

13) In  $\Delta RST$ , the medians  $\overline{SL}$ ,  $\overline{RN}$ , and  $\overline{TM}$  are concurrent at point P. If  $\overline{SP} = 10$ , find  $\overline{PL}$  and  $\overline{SL}$ .

14) Construct the inscribed circle of an acute triangle.

15) The perpendicular bisectors of  $\triangle QRS$  intersect at P. If  $\overline{QP} = 3x$ ,  $\overline{RP} = 18$ , and  $\overline{SP} = y + 10$ , solve for x and y.

16) The perpendicular bisectors of  $\Delta$ LMN intersect at O. If  $\overline{LO} = 2x - 4$ ,  $\overline{MO} = y - 6$ , and  $\overline{NO} = 10$ . Solve for x and y.

17) The circumcenter of  $\Delta WXY$  is point Z. If  $\overline{WZ} = 17$ ,  $\overline{XZ} = 3x - 13$ , and  $\overline{YZ} = x + y$ . Solve for x and y.